APPENDIX 1

Credit Card Fraud Detection with Machine Learning

A Project Report of Capstone Project - 2

Submitted by

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APPENDIX 2

SCHOOL OF COMPUTING AND SCIENCE AND ENGINEERING

BONAFIDE CERTIFICATE

Certified that this project report "**Credit Card Fraud Detection with Machine Learning**" is the bonafide work of "**VISHAL THAKUR (1613101842**)" who carried out the project work under my supervision.

Professor & Dean, Professor,

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Abstract

Credit cards play a very important role in today's economy. It becomes an unavoidable part of household, business and global activities. Although using credit cards provides enormous benefits when used carefully and responsibly, significant credit and financial damages may be caused by fraudulent activities. Many techniques have been proposed to confront the growth in credit card fraud. However, all of these techniques have the same goal of avoiding credit card fraud; each one has its own drawbacks, advantages and characteristics. The advantages and disadvantages of fraud detection methods are enumerated and compared.Furthermore, a classification of mentioned techniques into two main fraud detection approaches, namely, misuses (supervised) and anomaly detection (unsupervised) is presented. Again, a classification of techniques is proposed based on capability to process the numerical and categorical datasets. Different datasets used in literature are then described and grouped into real and synthesized data and the effective and common attributes are extracted for further usage.Moreover, evaluation employed criterions in literature are collected and discussed.Consequently, open issues for credit card fraud detection are explained as guidelines for new researchers.

1. Introduction

Credit card fraud detection has drawn a lot of research interest and a number of techniques, with special emphasis on neural networks, data mining and distributed data mining have been suggested. Ghosh and Reilly[1] have proposed credit card fraud detection with a neural network. They have built a detection system, which is trained on a large sample of labeled credit card account transactions. These transactions contain example fraud cases due to lost cards, stolen cards, application fraud, counterfeit fraud, mail-order fraud, and non-received issue (NRI) fraud. Recently, Syeda et al. [2] have used parallel granular neural networks (PGNNs) for improving the speed of data mining and knowledge discovery process in credit card fraud detection. A complete system has been implemented for this purpose. Stolfo et al. [3] suggest a credit card fraud detection system (FDS) using meta learning techniques to learn models of fraudulent credit card transactions. Meta learning is a general strategy that provides a means for combining and integrating a number of separately built classifiers or models. A Meta classifier is thus trained on the correlation of the predictions of the base classifiers. The same group has also worked on a cost-based model for fraud and intrusion detection. They use Java agents for Meta learning (JAM), which is a distributed data mining system for credit card fraud detection A number of important performance metrics like True Positive—False Positive (TP-FP) spread and accuracy have been defined by them. Alekerov et al. [4] present CARDWATCH, a database mining system used for credit card fraud detection. The system, based on a neural learning module, provides an interface to a variety of commercial databases.

2. Methodology Adopted

2.1 Importing the Datasets

We are importing the datasets that contain transactions made by credit cards. **Code:**

- 1. library(ranger)
- 2. library(caret)
- 3. library(data.table)
- 4. creditcard_data<- read.csv("/home/dataflair/data/Credit Card/creditcard.csv") **Input Screenshot:**

library(ranger) library(caret)

Loading required package: lattice

library(data.table) creditcard data <- read.csv("/home/dataflair/data/Credit Card/creditcard.csv")

2.2 Data Exploration

In this section of the fraud detection ML project, we will explore the data that is contained in the creditcard_datadataframe. We will proceed by displaying the creditcard_data using the head () function as well as the tail () function. We will then proceed to explore the other components of this data frame.

Code:

- 1. **dim**(creditcard_data)
- 2. **head**(creditcard_data,6)

dim(creditcard_data)

[1] 284807 31

head(creditcard_data,6)

Code:

1. **tail**(creditcard_data,6)

tail(creditcard_data,6)

Code:

- 1. **table**(creditcard_data\$Class)
- 2. **summary**(creditcard_data\$Amount)
- 3. **names**(creditcard_data)
- 4. **var**(creditcard_data\$Amount)

table(creditcard data\$Class)

$\bf 1$ Θ ## 284315 492

summary(creditcard_data\$Amount)

names(creditcard data)

var(creditcard data\$Amount)

[1] 62560.07

Code:

1. **sd**(creditcard_data\$Amount)

Output Screenshot:

sd(creditcard_data\$Amount)

 $[1]$ 250.1201 ##

2.3 Data Manipulation

In this section of the R data science project, we will scale our data using the scale () function. We will apply this to the amount component of our creditcard data amount. Scaling is also known as feature standardization. With the help of scaling, the data is structured according to a specified range. Therefore, there are no extreme values in our dataset that might interfere with the functioning of our model.

Code:

- 1. **head**(creditcard_data)
	- **Output Screenshot:**

head(creditcard_data)

Code:

- 1. creditcard_data\$Amount=**scale**(creditcard_data\$Amount)
- 2. NewData=creditcard_data[,-**c**(1)]
- 3. **head**(NewData)

creditcard data\$Amount=scale(creditcard data\$Amount) NewData=creditcard data[,-c(1)] head(NewData)

$V₁$ $V₂$ V₃ $V₄$ $V₅$ V₆ ## 1 -1.3598071 -0.07278117 2.5363467 1.3781552 -0.33832077 0.46238778 ## 2 1.1918571 0.26615071 0.1664801 0.4481541 0.06001765 -0.08236081 ## 3 -1.3583541 -1.34016307 1.7732093 0.3797796 -0.50319813 1.80049938 ## 4 -0.9662717 -0.18522601 1.7929933 -0.8632913 -0.01030888 1.24720317 ## 5 -1.1582331 0.87773675 1.5487178 0.4030339 -0.40719338 0.09592146 ## 6 -0.4259659 0.96052304 1.1411093 -0.1682521 0.42098688 -0.02972755 **V9** ## $V₇$ V₈ $V10$ $V11$ $V12$ ## 1 0.23959855 0.09869790 0.3637870 0.09079417 -0.5515995 -0.61780086 ## 2 -0.07880298 0.08510165 -0.2554251 -0.16697441 1.6127267 1.06523531 ## 3 0.79146096 0.24767579 -1.5146543 0.20764287 0.6245015 0.06608369 ## 4 0.23760894 0.37743587 -1.3870241 -0.05495192 -0.2264873 0.17822823 ## 5 0.59294075 -0.27053268 0.8177393 0.75307443 -0.8228429 0.53819555 ## 6 0.47620095 0.26031433 -0.5686714 -0.37140720 1.3412620 0.35989384 ## $V13$ $V14$ V15 V16 V17 V18 ## 1 -0.9913898 -0.3111694 1.4681770 -0.4704005 0.20797124 0.02579058 ## 2 0.4890950 -0.1437723 0.6355581 0.4639170 -0.11480466 -0.18336127 ## 3 0.7172927 -0.1659459 2.3458649 -2.8900832 1.10996938 -0.12135931 ## 4 0.5077569 -0.2879237 -0.6314181 -1.0596472 -0.68409279 1.96577500 ## 5 1.3458516 -1.1196698 0.1751211 -0.4514492 -0.23703324 -0.03819479 ## 6 -0.3580907 -0.1371337 0.5176168 0.4017259 -0.05813282 0.06865315 $V20$ ## V19 $V₂₁$ $V22$ $V₂₃$ ## 1 0.40399296 0.25141210 -0.018306778 0.277837576 -0.11047391 ## 2 -0.14578304 -0.06908314 -0.225775248 -0.638671953 0.10128802 ## 3 -2.26185710 0.52497973 0.247998153 0.771679402 0.90941226 ## 4 -1.23262197 -0.20803778 -0.108300452 0.005273597 -0.19032052 ## 5 0.80348692 0.40854236 -0.009430697 0.798278495 -0.13745808 ## 6 -0.03319379 0.08496767 -0.208253515 -0.559824796 -0.02639767

2.4 Data Modeling

After we have standardized our entire dataset, we will split our dataset into training set as well as test set with a split ratio of 0.80. This means that 80% of our data will be attributed to the train_data whereas 20% will be attributed to the test data.

Code:

- 1. **library**(caTools)
- 2. set.**seed**(123)
- 3. data_sample = sample.**split**(NewData\$Class,SplitRatio=0.80)
- 4. train_data = **subset**(NewData,data_sample==TRUE)
- 5. test_data = **subset**(NewData,data_sample==FALSE)
- 6. **dim**(train_data)

7. **dim**(test_data)

Output Screenshot:

```
library(caTools)
set.seed(123)
data_sample = sample.split(NewData$Class,SplitRatio=0.80)
train data = subset(NewData, data sample==TRUE)
test data = subset(NewData, data sample==FALSE)
dim(train_data)
```
[1] 227846 30

dim(test data)

[1] 56961 30

Logistic Model=glm(Class~., test_data, family=binomial())

Warning: glm.fit: fitted probabilities numerically 0 or 1 occurred

summary(Logistic Model)

```
#### Call:
## glm(formula = Class ~ ., family = binomial(), data = test_data)
##
## Deviance Residuals:
##
      Min
               10 Median
                                 30
                                         Max
## -4.9019 -0.0254 -0.0156 -0.0078 4.0877
```
2.5 Fitting Logistic Regression Model

In this section of credit card fraud detection project, we will fit our first model. We will begin with logistic regression. A logistic regression is used for modeling the outcome probability of a class such as pass/fail, positive/negative and in our case – fraud/not fraud.

Code:

```
1. Logistic_Model=glm(Class~.,test_data,family=binomial())
```
2. **summary**(Logistic_Model)

Output Screenshot:

```
Logistic_Model=glm(Class~.,test_data,family=binomial())
```
Warning: glm.fit: fitted probabilities numerically 0 or 1 occurred

summary(Logistic_Model)

```
#### Call:
## glm(formula = Class ~ ., family = binomial(), data = test_data)
\# \### Deviance Residuals:
##Min
                10Median
                                 30
                                        Max
## -4.9019 -0.0254 -0.0156 -0.0078 4.0877
```
Code:

1. **plot**(Logistic_Model)

Input Screenshot:

plot(Logistic_Model)

Output:

Output:

In order to assess the performance of our model, we will delineate the ROC curve. ROC is also known as Receiver Optimistic Characteristics. For this, we will first import the ROC package and then plot our [ROC](https://en.wikipedia.org/wiki/Receiver_operating_characteristic) curve to analyze its performance. **Code:**

- 1. **library**(pROC)
- 2. lr.predict <- **predict**(Logistic Model,train data, probability = TRUE)
- 3. auc.gbm = **roc**(test_data\$Class, lr.predict, plot = TRUE, col = "blue")

Output Screenshot:

```
Logistic Model=glm(Class~., train data, family=binomial())
summary(Logistic Model)
```
##

```
## Call:
## glm(formula = Class ~ ., family = binomial(), data = train data)
##
## Deviance Residuals:
##
       Min
                10
                     Median
                                   30
                                          Max
## -4.6108 - 0.0292 - 0.0194 - 0.01254.6021
##
## Coefficients:
##
                Estimate Std. Error z value Pr(>|z|)
## (Intercept) -8.651305
                          0.160212 - 53.999 < 2e-16 ***
## V1
               0.072540
                          0.044144
                                     1.643 0.100332
## V20.0148180.059777
                                     0.248 0.804220
```


2.6 Fitting a Decision Tree Model

In this section, we will implement a decision tree algorithm. Decision Trees to plot the outcomes of a decision. These outcomes are basically a consequence through which we can conclude as to what class the object belongs to. We will now implement our decision tree model and will plot it using the rpart.plot() function.

Code:

- 1. **library**(rpart)
- 2. **library**(rpart.plot)
- 3. decisionTree model <- **rpart**(Class \sim ., creditcard data, method = 'class')
- 4. predicted val^{<-} **predict**(decisionTree model, creditcard data, type = 'class')
- 5. probability <- **predict**(decisionTree_model, creditcard_data, type = 'prob')
- 6. rpart.**plot**(decisionTree_model)

Input Screenshot:

```
library(rpart)
library(rpart.plot)
decisionTree model \leq rpart(Class \leq r, creditcard data, method = 'class')predicted val <- predict(decisionTree model, creditcard data, type = 'class')
probability <- predict(decisionTree model, creditcard data, type = 'prob')
```
rpart.plot(decisionTree model)

Output:

2.7 Artificial Neural Network

Artificial Neural Networks are a type of machine learning algorithm that is modeled after the human nervous system. The ANN models are able to learn the patterns using the historical data and are able to perform classification on the input data. We import the neuralnet package that would allow us to implement our ANNs. Then we proceeded to plot it using the plot() function. Now, in the case of Artificial Neural Networks, there is a

range of values that is between 1 and 0. We set a threshold as 0.5, that is, values above 0.5 will correspond to 1 and the rest will be 0.

Code:

- 1. **library**(neuralnet)
- 2. ANN model =**neuralnet**(Class~.,train_data,linear.output=FALSE)
- 3. **plot**(ANN_model)
- 4.
- 5. predANN=**compute**(ANN_model,test_data)
- 6. resultANN=predANN\$net.result
- 7. resultANN=**ifelse**(resultANN>0.5,1,0)

Input Screenshot:

```
library(neuralnet)
```

```
ANN_model =neuralnet (Class~., train_data, linear.output=FALSE)
plot(ANN model)
```

```
predANN=compute(ANN_model,test_data)
resultANN=predANN$net.result
resultANN=ifelse(resultANN>0.5,1,0)
```


2.8 Gradient Boosting (GSM)

Gradient Boosting is a popular machine learning algorithm that is used to perform classification and regression tasks. This model comprises of several underlying ensemble models like weak decision trees. These decision trees combine together to form a strong model of gradient boosting.

```
Code:
```

```
1. library(gbm, quietly=TRUE)
```
- 2.
- 3. # Get the time to train the GBM model
- 4. system.**time**(
- 5. model gbm^{\lt} **gbm**(Class \sim .
- 6. , distribution = "bernoulli"
- 7. , data = **rbind**(train_data, test_data)

```
8. , n.trees = 500
```
- 9. , interaction.depth = 3
- 10. , n.minobsinnode = 100
- 11., shrinkage = 0.01
- 12. , bag.fraction = 0.5
- 13. , train.fraction = **nrow**(train_data) / (**nrow**(train_data) + **nrow**(test_data))
- 14.)
- 15.)
- 16. # Determine best iteration based on test data
- 17. gbm.iter = gbm.**perf**(model_gbm, method = "test")

Input Screenshot:

library(gbm, quietly=TRUE)

```
## Loaded gbm 2.1.5
```

```
# Get the time to train the GBM model
system.time(
   model gbm \lt- gbm(Class \lt-.
       , distribution = "bernoulli"
       , data = rbind(train_data, test_data)
       , n.trees = 500, interaction.depth = 3, n.minobsinnode = 100, shrinkage = 0.01, bag.fraction = 0.5, train.fraction = nrow(train_data) / (nrow(train_data) + nrow(test_data))
\,
```

```
##
     user system elapsed
## 345.781   0.144 345.971
```

```
# Determine best iteration based on test data
gbm.iter = gbm.perf(model gbm, method = "test")
```
Code:

- 1. model.influence = relative.**influence**(model_gbm, n.trees = gbm.iter, sort. = TRUE)
- 2. #Plot the gbm model
- 3.
- 4. **plot**(model_gbm)

Input Screenshot:

```
model.influence = relative.influence(model gbm, n.trees = gbm.iter, sort. = TRUE)
#Plot the gbm model
```
plot(model_gbm)

Output:

Code:

- 1. # Plot and calculate AUC on test data
- 2. gbm_test = **predict**(model_gbm, newdata = test_data, n.trees = gbm.iter)
- 3. gbm $auc = \text{roc}(\text{test data}C \text{lass}, g \text{bm test}, \text{plot} = \text{TRUE}, \text{col} = \text{"red"})$

Output Screenshot:

```
# Plot and calculate AUC on test data
gbm_test = predict(model_gbm, newdata = test_data, n.trees = gbm.iter)
gbm auc = roc(test data$Class, gbm test, plot = TRUE, col = "red")
```
Setting levels: control = 0, case = 1

Setting direction: controls < cases

Code:

1. **print**(gbm_auc)

Output Screenshot:

print(gbm auc)

```
##
## Call:
## roc.default(response = test data$Class, predictor = gbm test, plot = TRUE, col = "red")
##
## Data: gbm test in 56863 controls (test data$Class 0) < 98 cases (test data$Class 1).
## Area under the curve: 0.9555
```
3. Software Specification Requirement

3.1 Software Requirements:

● R-Studio

3.2 Hardware Requirements:

- Processor: Preferably 1.0 GHz or Greater.
- RAM : 2 GB or Greater.

4. Future Work - Fraud detection is a complex issue that requires a substantial amount of planning before throwing machine learning algorithms at it. Nonetheless, it is also an application of data science and machine learning for the good, which makes sure that the customer's money is safe and not easily tampered with. Future work will include a comprehensive tuning of the Random Forest algorithm I talked about earlier. Having a data set with non-anonymized features would make this particularly interesting as outputting the feature importance would enable one to see what specific factors are most important for detecting fraudulent transactions.

5. Problem Statement

The Credit Card Fraud Detection Problem includes modeling past credit card transactions with the knowledge of the ones that turned out to be fraud. This model is then used to identify whether a new transaction is fraudulent or not. Our aim here is to detect 100% of the fraudulent transactions while minimizing the incorrect fraud classifications.

6. Observations-

The data set is highly skewed, consisting of 492 frauds in a total of 284,807 observations. This resulted in only 0.172% fraud cases. This skewed set is justified by the low number of fraudulent transactions.The dataset consists of numerical values from the 28 'Principal Component Analysis (PCA)' transformed features, namely V1 to V28. Furthermore, there is no metadata about the original features provided, so pre-analysis or feature study could not be done.

- The 'Time' and 'Amount' features are not transformed data.
- There is no missing value in the dataset.

7. Acknowledgement-

I would like to acknowledge my guide Dr. Kuldeep Singh Kaswan for providing me the necessary guidance and valuable support throughout this research project. Learning from their knowledge helped me to become passionate about my research topic

8. Conclusion -

Concluding our R Data Science project, I learnt how to develop our credit card fraud detection model using machine learning. I used a variety of ML algorithms to implement this model and also plotted the respective performance curves for the models. I learnt how data can be analyzed and visualized to discern fraudulent transactions from other types of data.

9. References-

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